

Evaluating the imprints of planet formation on the compositions of stars

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Collaborators

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References:

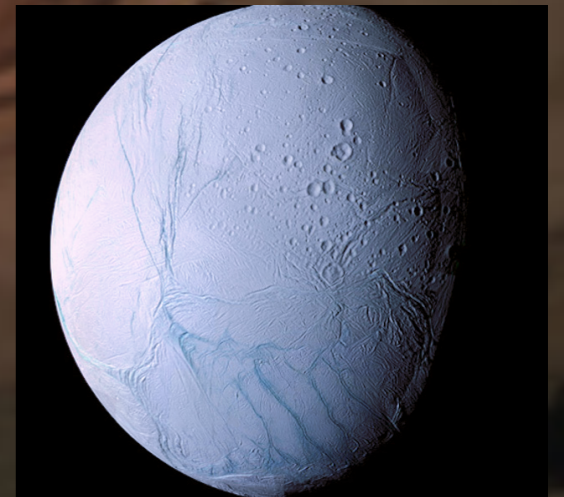
Kunitomo et al. (2017), A&A

Kunitomo et al., to be submitted

Composition of protoplanetary disks

- Primordial composition of disks:
 - mainly H₂ and He gas
 - **volatile** elements (~0.9wt%; C, N, O)
 - **refractory** elements (~0.4wt%)
 (“rock-forming elements”; Fe, Mg, Si, etc.)
Asplund+09
- Planets selectively retain metals
→ The disk composition is changed
- Disk gas eventually accretes onto stars

Icy objects



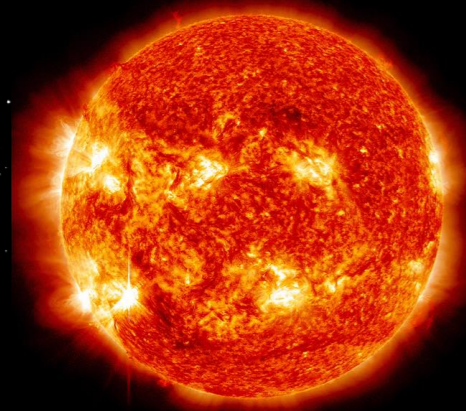
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Rocky objects

Does planet formation alter stellar surface composition?

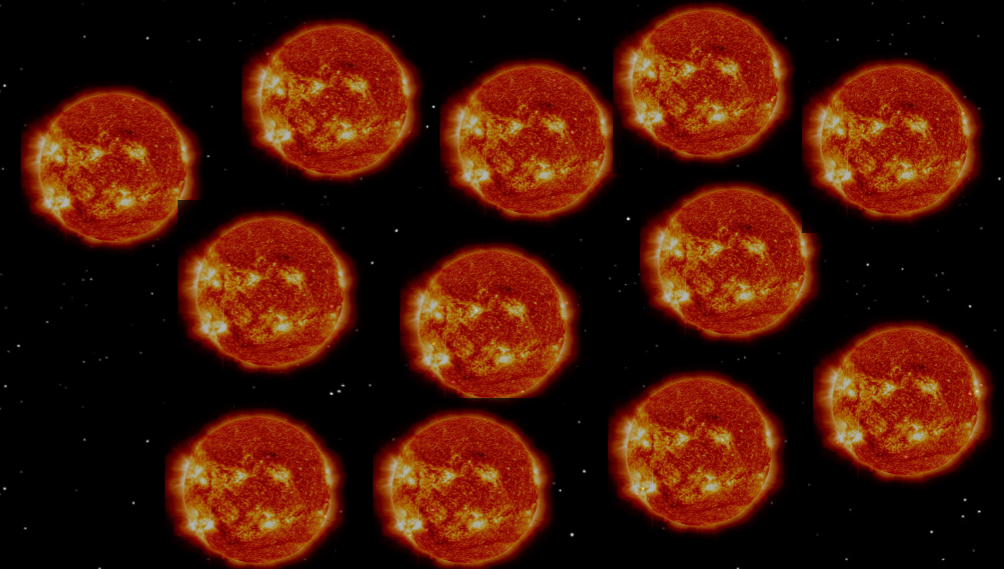
Solar composition anomaly

Sun



≠

Solar twins

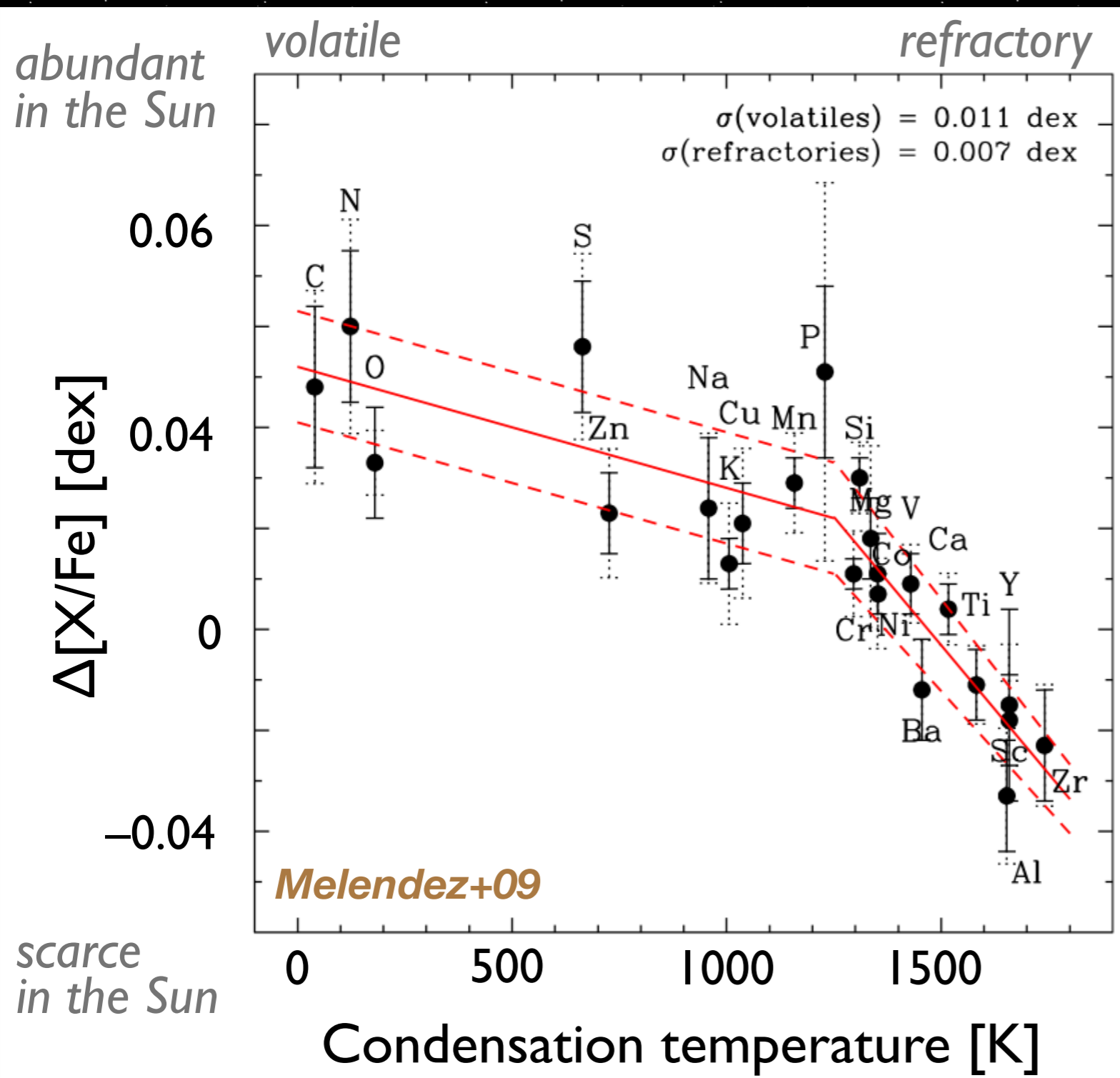


Stars with similar metallicity, mass, age, and temp. to the Sun

Solar photospheric abundances are different from solar twins' ones

Solar composition anomaly

Solar abundances
normalized by the average of solar twins' ones



- the Sun has refractory-poor abundances

compared to most solar twins

- difference: **~10%**

e.g., Melendez+09, Ramirez+09

8 planets in the solar system

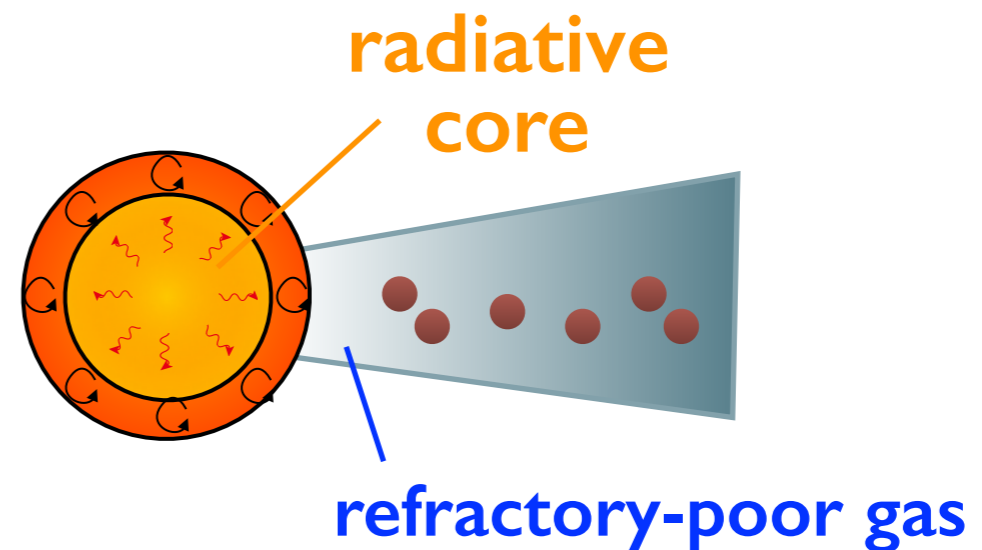
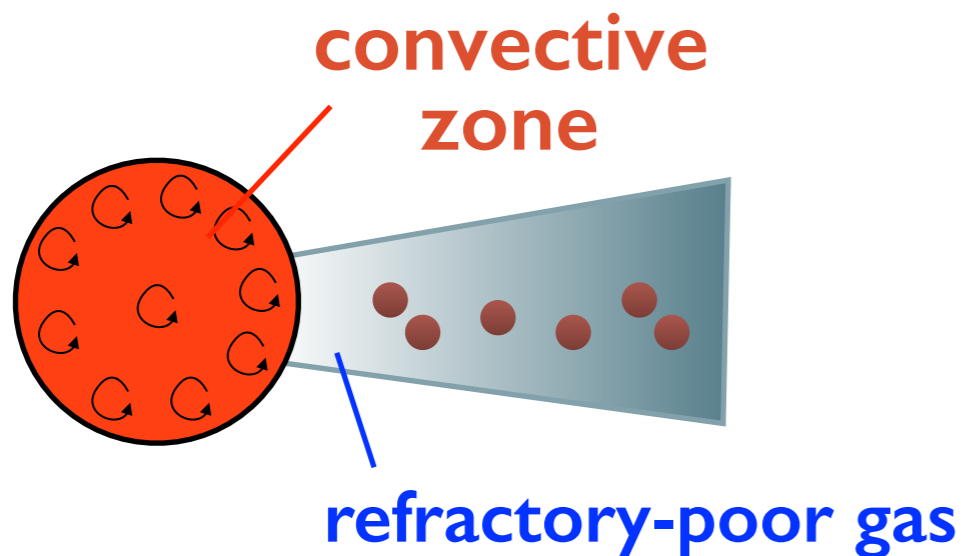
→ Chambers 10 claimed **$4M_{\oplus}$ rock retention** can compensate for this

One caveat



stellar structure is important in this scenario

because accreting materials are distributed only in the surface conv. zone



Fully convective stars
→ Alternation is limited

even if planets are formed

Stars w/ a large radiative core
→ *Strong alteration*

Purpose of this study

- Chambers (2010) concluded that **formation of $4M_{\oplus}$ rocks induces the compositional difference between the Sun and solar-twins** with assuming the internal structure of main-sequence stars
 - cf. the present-day Sun has a radiative structure (**conv. zone = $0.025M_{\odot}$**)
- However, planets are formed and disks exist around pre-MS stars, which have in general much thicker convective zones

**We revisit this scenario
with up-to-date models of pre-MS evolutions**

Basic equations and settings

- Stellar structure equations (1D) solved with a public code **MESA**
Paxton+11,13,15

1. Continuity $\frac{\partial r}{\partial M_r} = \frac{1}{4\pi r^2 \rho}$ M_r : mass coordinate

2. Momentum $\frac{\partial P}{\partial M_r} = -\frac{GM_r}{4\pi r^4}$ (hydrostatic equilibrium)

3. Energy $\frac{\partial l}{\partial M_r} = \epsilon_{\text{nuc}} - T \frac{\partial s}{\partial t} + \epsilon_{\text{add}}$ *entropy injection by accretion*

4. Temp. gradient $\frac{\partial T}{\partial M_r} = -\frac{GM_r T}{4\pi r^4 P} \nabla$ (w/ MLT)

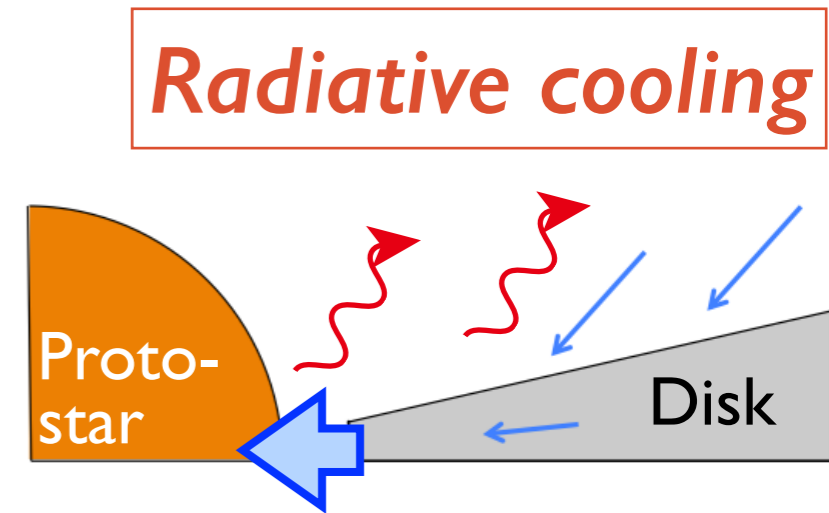
5. Composition $\left(\frac{\partial X_i}{\partial t}\right)_{M_r} = \frac{m_i}{\rho} \left(\sum_j r'_{ji} - \sum_k r'_{ik} \right) + \frac{1}{r^2} \frac{\partial}{\partial r} \left(r^2 D \frac{\partial X_i}{\partial r} \right)$
nuclear reaction diffusion

- Settings: Accretion: **0.01M_⊙ → 1M_⊙ in 10Myr**
Composition: Z=0.02, Deuterium content = 28 ppm
Asplund+09

Method: Heat injection by accretion

$$\text{Energy Eq. } \frac{\partial l}{\partial M_r} = \varepsilon_{\text{nuc}} - T \frac{\partial s}{\partial t} + \varepsilon_{\text{add}}$$

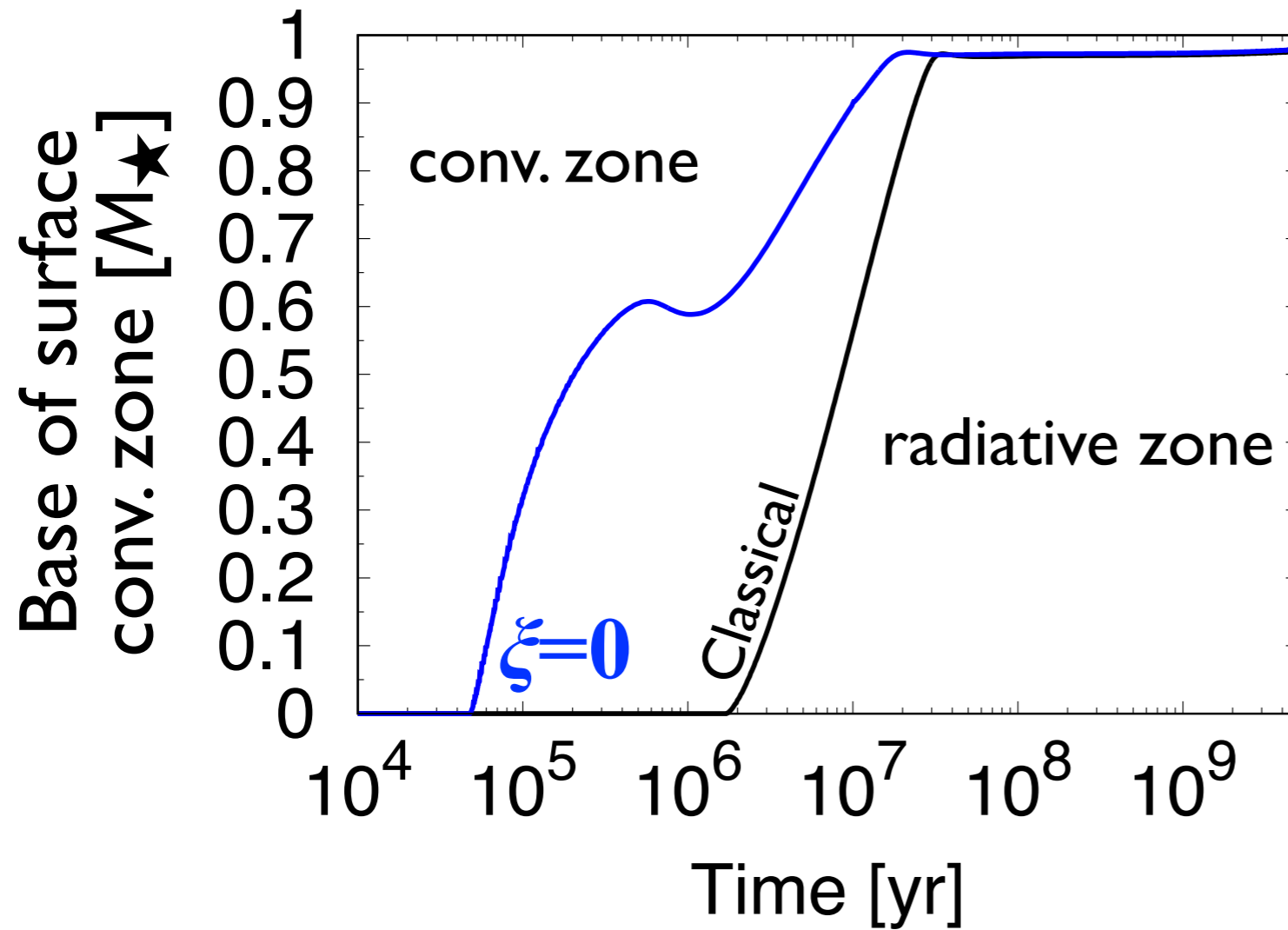
$$\varepsilon_{\text{add}} = \xi L_{\text{acc}} / M_{\star} \quad \text{entropy injection by accretion}$$



- L_{acc} : the gravitational energy of accreting materials ($=GM_{\star}\dot{M}/R_{\star}$)
- **A fraction (ξ) of L_{acc} is injected into the star**
- ξL_{acc} is uniformly redistributed in the entire star $\rightarrow M_{\star}^{-1}$

We change ξ from 0 to 0.5

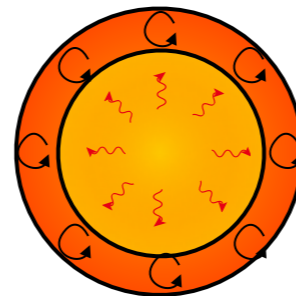
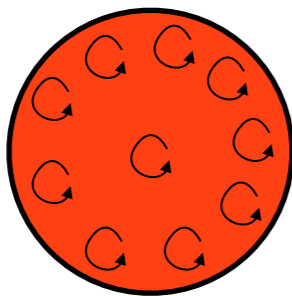
Internal structure evolutions



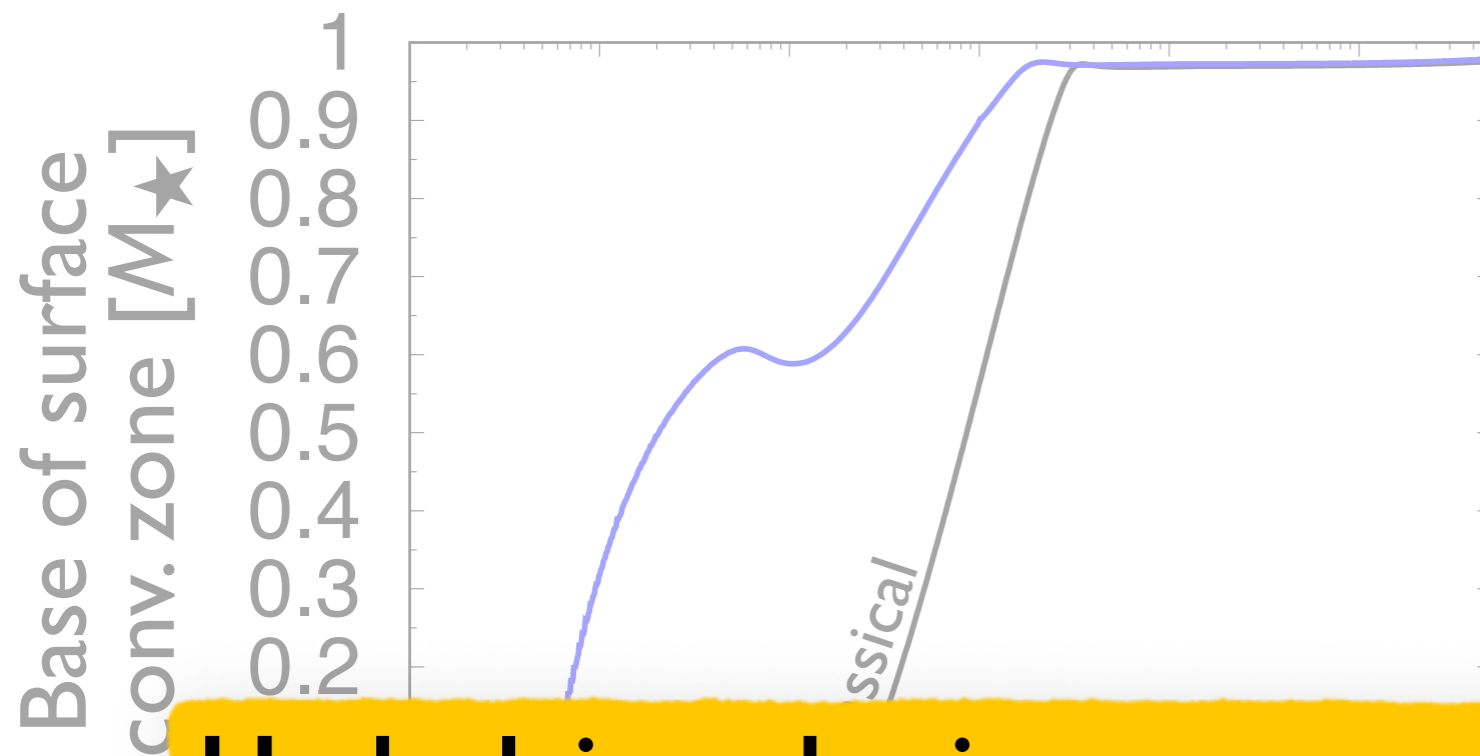
- In the classical evolution case (w/o accretion), the surface conv. zone shrinks at $\sim 30\text{Myr}$

- With $\xi=0$, it shrinks more rapidly

(see also Baraffe+Chabrier10)



Internal structure evolutions



- In the classical evolution case (w/o accretion), the surface conv. zone shrinks at $\sim 30\text{Myr}$
- With $\xi=0$, it shrinks more rapidly

Underlying physics

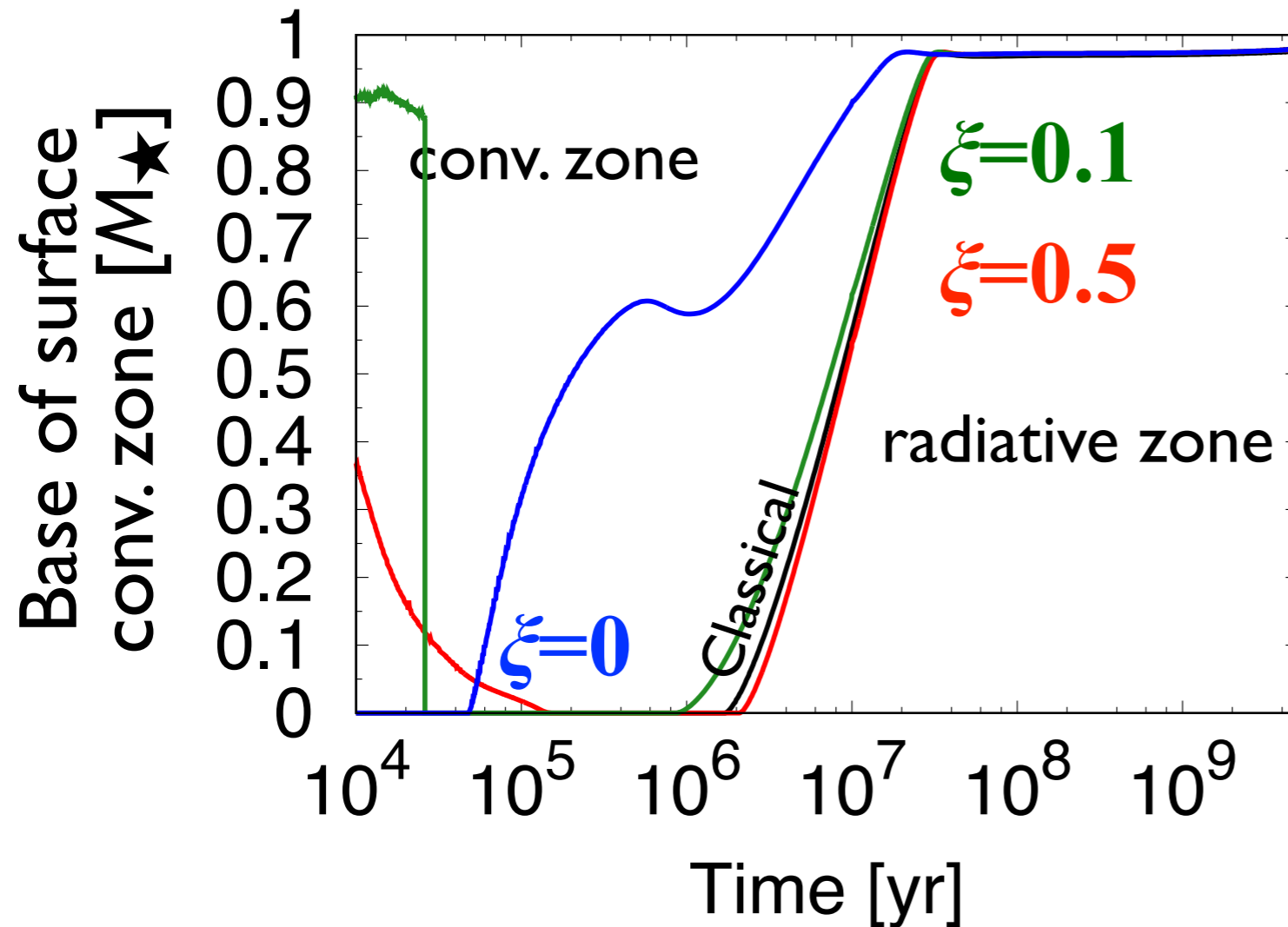
Stars have the negative specific heat (cf. Virial theorem)

→ Lower energy injection (i.e., lower ξ) = higher temp.

→ Lower opacity (cf. Kramers law, $\kappa \propto T^{-3.5}$)

→ Radiative cores develop more easily

Internal structure evolutions



- In the classical evolution case (w/o accretion), the surface conv. zone shrinks at $\sim 30\text{Myr}$
- With $\xi=0$, it shrinks more rapidly

(see also Baraffe+Chabrier10)

- Internal structure evolutions of young stars are sensitive to the accretion heat (ξ)
- Even with $\xi=0$, the conv. zone is thicker ($0.1M_{\odot}$) than that of MS stars ($0.025M_{\odot}$) before $\sim 10\text{Myr}$

Required rock mass for the comp. anomaly

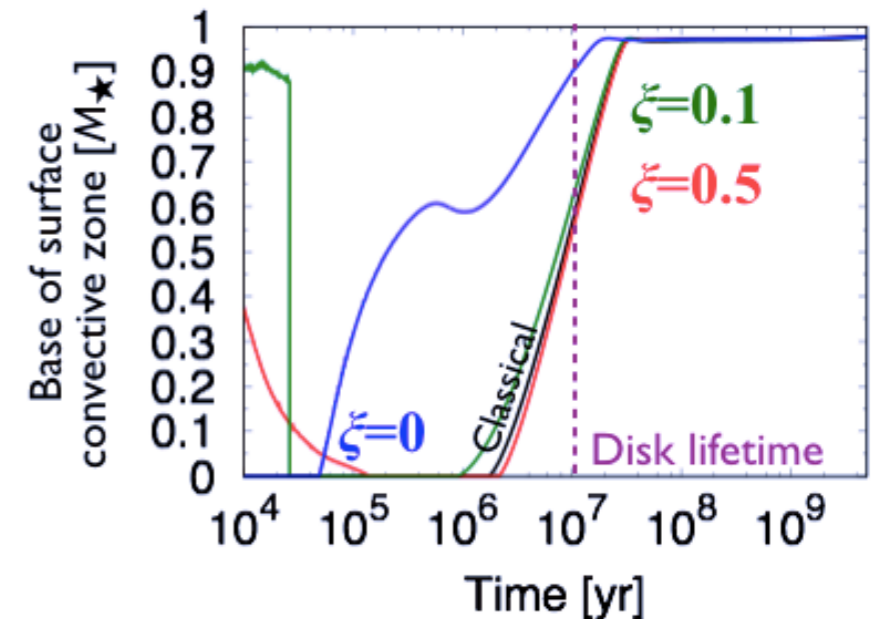
- Chambers (2010): With a $0.025M_{\odot}$ convective zone, $4M_{\oplus}$ rock retention can compensate for the compositional differences between the Sun and solar-twins

$$M_{\text{rock}} = 4 M_{\oplus} \left(\frac{M_{\text{CZ,eff}}}{0.025 M_{\odot}} \right)$$

Required rock mass with pre-MS structures

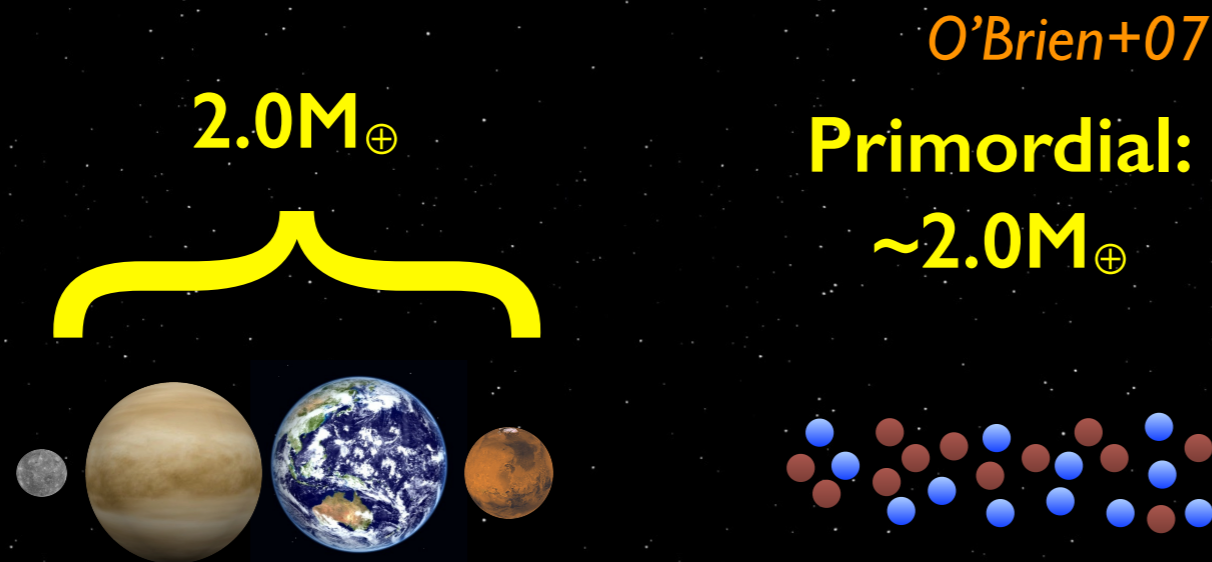
- $\xi=0$: $\sim 30M_{\oplus}$
- $\xi=0.1$: $\sim 100M_{\oplus}$
- $\xi=0.5$: $\sim 120M_{\oplus}$

The rocky objects in the solar system are at most $\sim 4M_{\oplus}$
→ Insufficient for the requirements...

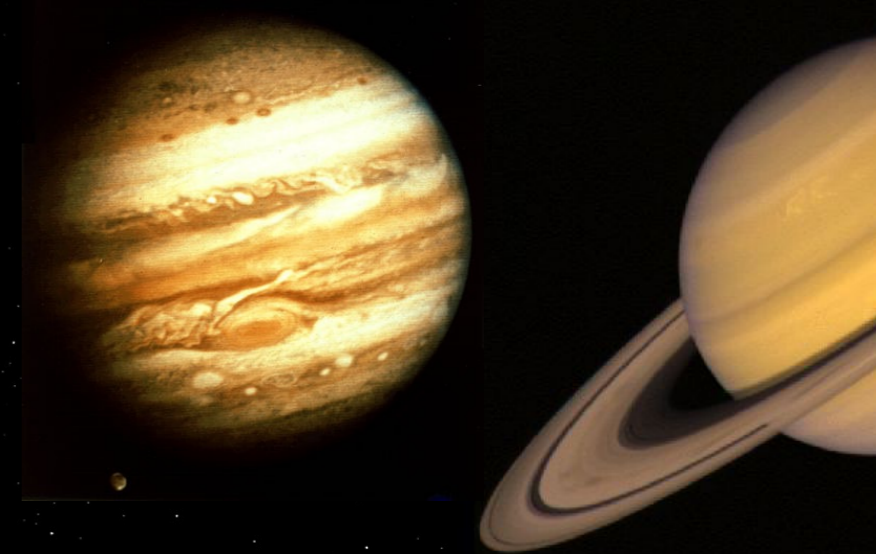


$M_{\text{CZ,eff}}$: time-averaged convective-zone mass

* not to scale



In total, pure rocks are
at most $4M_{\oplus}$



Outer planets
beyond snow line
retain much more solids
($\sim 150M_{\oplus}$ in total)

including cores of giant planets
(Jupiter, ..., Neptune), TNOs, ejected
objects from the early solar system

Required rock mass for the comp. anomaly

Total solid mass in the solar-system planets
 $\sim 150M_{\oplus}$

Required rock mass
with pre-MS structures
to create the comp. anomaly

- $\xi=0$: $\sim 30M_{\oplus}$
- $\xi=0.1$: $\sim 100M_{\oplus}$
- $\xi=0.5$: $\sim 120M_{\oplus}$

The rest:
solar photospheric composition
ice-to-rock ratio $f_{\text{ice/rock}} = 2.0$

Lodders03

We obtained the constraints:
The solar composition anomaly can be originated
from planet formation

If $f_{\text{ice/rock}} = 1.1, 0.2, 0.1$ in the solar-system planets
for $\xi = 0, 0.1, 0.5$

Summary

We revisited the solar compositional anomaly with up-to-date pre-MS evolution models and found

- (1) Stellar structure evolutions are sensitive to accretion heat (ξ)
- (2) Rocky planet formation alone cannot explain the anomaly
- (3) If $f_{\text{ice/rock}} \sim 0.1\text{--}1.1$ (for $\xi=0\text{--}0.5$) in the solar-system planets, the anomaly can be originated from the planet formation

