

Dark inflation

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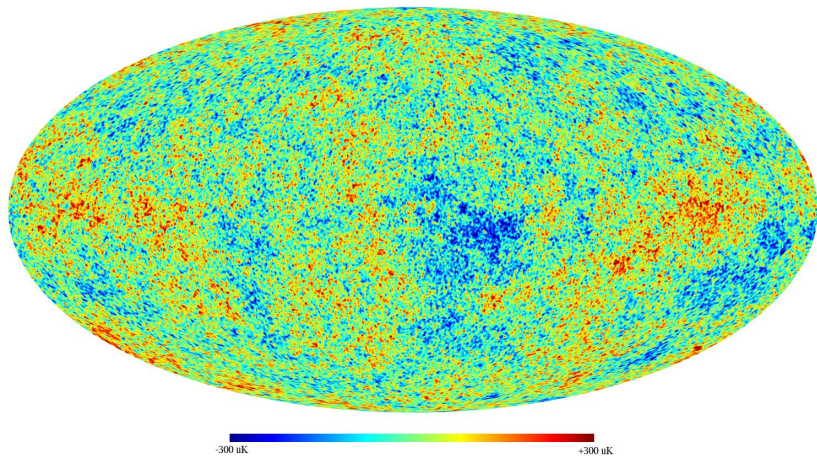
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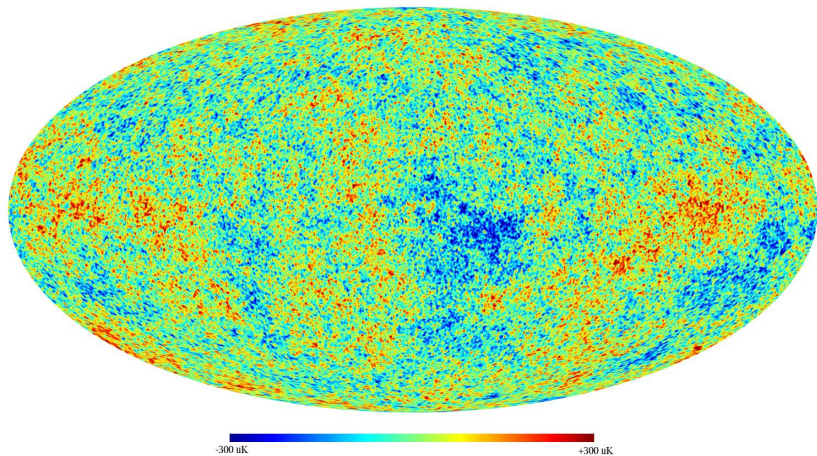
arXiv:1711.08473

(with Olga Czerwińska, M. Lewicki and Z. Lalak)

Cosmic microwave background

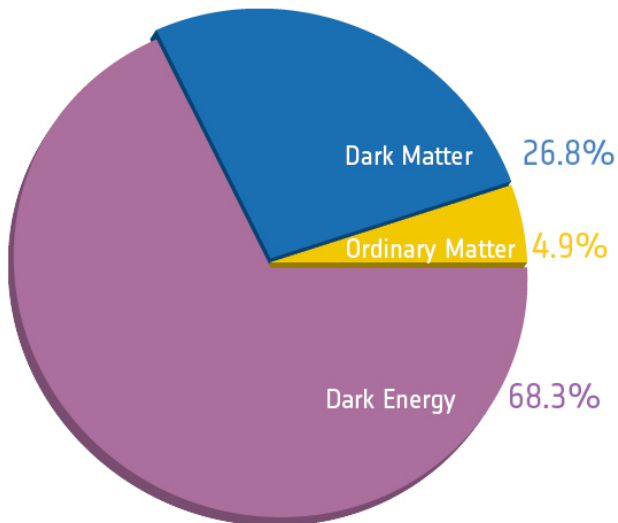


Cosmic microwave background



Convention: $8\pi G = 1 = M_p^{-2}$, where $M_p \simeq 2.5 \times 10^{18} \text{ GeV}$

The cosmic cake



Reheating of the Universe

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The inflaton field couples to scalars, fermions and vectors and produces lots of relativistic degrees of freedom - this is the reheating of the Universe! Problems?

$$N_\star \simeq 67 - \log\left(\frac{k_\star}{a_0 H_0}\right) + \frac{1}{4} \log\left(\frac{V_{hor}^2}{M_p^4 \rho_{end}}\right) + \frac{1-3w}{12(1+w)} \log\left(\frac{\rho_{th}}{\rho_{end}}\right) \quad (1)$$

- ▶ What is the reheating temperature? (Affects predictions of inflation)
- ▶ How couplings to other fields influence the flatness of the potential?

Gravitational particle production

Nearby the end of inflation we can divide the evolution of space into 3 periods

$$a(\eta)^2 \propto \begin{cases} \frac{1}{\eta^2} & \text{de Sitter} \\ a_0 + a_1\eta + a_2\eta^2 + a_3\eta^3 & \text{transition} \\ b_0(b_1 + \eta)^{\frac{4}{3w+1}} & \text{general } w \neq -1/3 \end{cases} \quad (2)$$

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$$\rho_r \sim N(1 - 6\xi)^2(1 + w)^2 \times 10^{-2} H_{infl}^4 a^{-4} \quad (3)$$

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$H_{inf}^4 \ll H_{inf}^2$ in Planck units, so it's a very inefficient process, the radiation is still subdominant after the particle production

Gravitational reheating as the only one needed

At the end of inflation the inflaton still dominates the Universe. Let's assume that the inflaton is dark (i.e. it is not coupled to any SM fields) and let's see how to obtain radiation domination era.

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We need an inflaton, which redshifts faster than radiation! Two options

- ▶ $V(\phi) \propto \phi^{2n}$ around the minimum. Then the barotropic parameter is

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- ▶ Inflation is driven by a non-canonical form of the inflatons kinetic term (the so-called K -inflation or G -inflation - Yokoyama's talk), for instance

$$\mathcal{L} = K_1(\phi)X + K_2(\phi)X^2, \quad \text{where} \quad X = \frac{1}{2}g^{\mu\nu}\partial_\mu\phi\partial_\nu\phi \quad (5)$$

Thermal history of the Universe

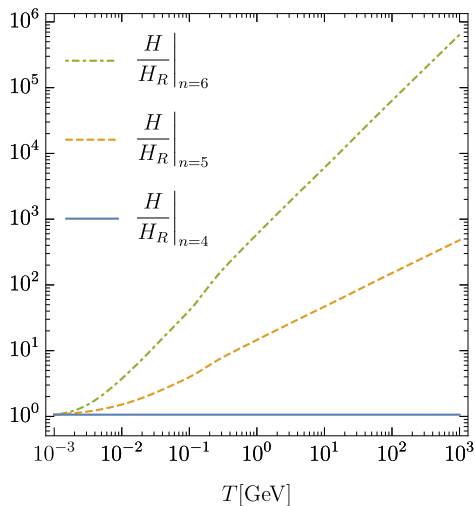
What is the strongest constraint on the thermal history of the Universe? BBN! Let's assume that there was something more than radiation at the BBN era. How much more matter we can get in order to fit to the data? How much bigger the Hubble parameter could be?

$$\frac{H}{H_R} \Big|_{BBN} = \sqrt{1 + \frac{7}{43} \Delta N_{\nu_{\text{eff}}}}, \quad (6)$$

where $\Delta N_{\nu_{\text{eff}}}$ is the difference between the SM radiation $N = 3.046$ and the observed central value $N_{\nu_{\text{eff}}} = 3.28 \pm 0.28$

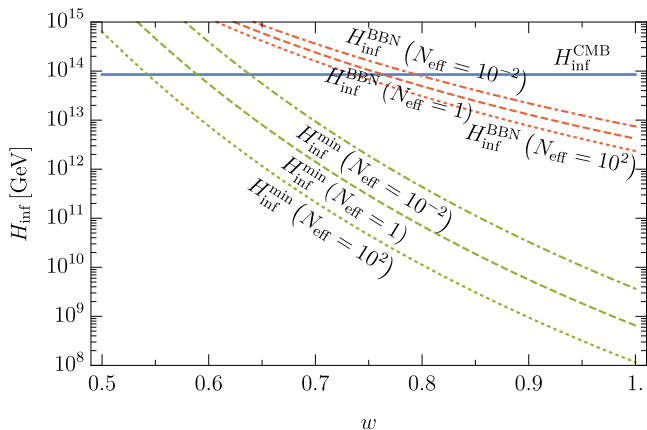
The initial difference is tiny, but if your additional dark component redshifts faster than radiation it should lead to dark field domination in higher energies [1601.01681, 1609.07143]. **This is exactly the case of dark inflation!**

Thermal history of the Universe



Constraints from nucleosynthesis

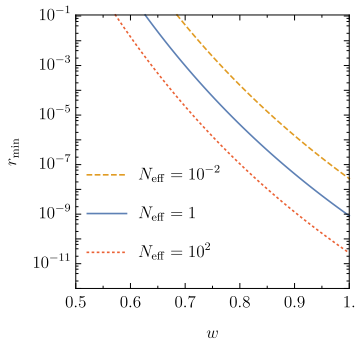
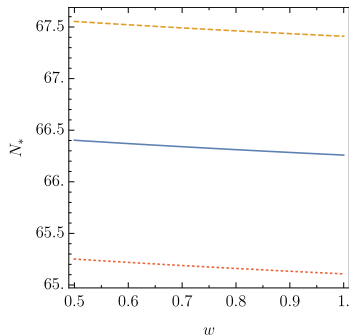
You need to be sure that during the big bang nucleosynthesis radiation dominates, which puts lower and higher bounds on the scale of inflation



Fixing the pivot scale freeze-out

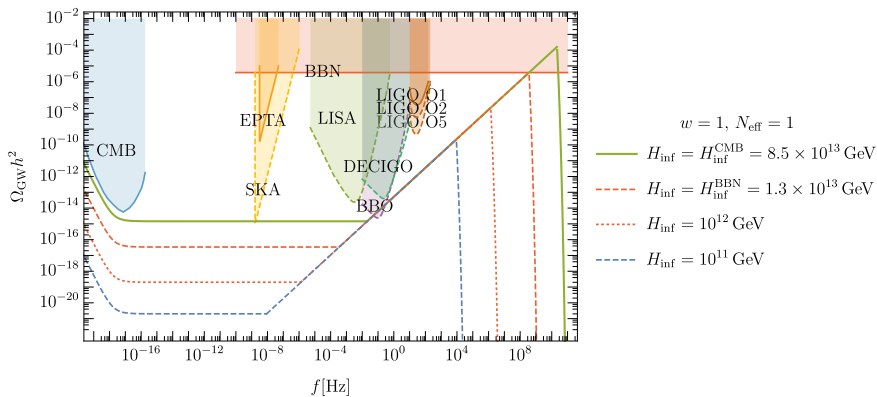
It appears that N_\star is H_{inf} independent! The uncertainty on N_\star is so small!

$$N_\star \simeq 64.82 + \frac{1}{4} \ln \left(\frac{128\pi^2}{N_{\text{eff}}(1+w)^2} \right). \quad (7)$$



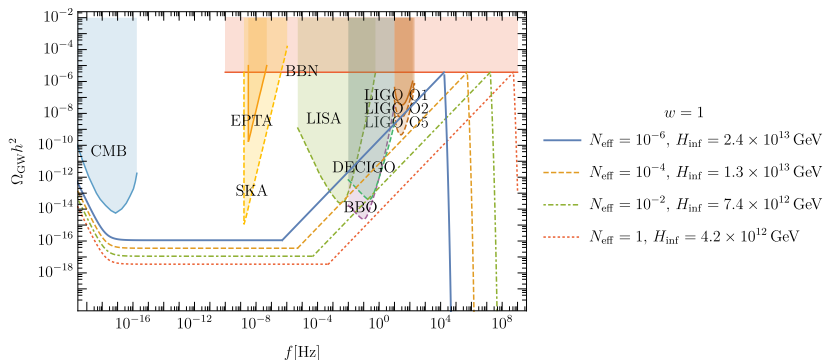
Constraints from Cosmic Microwave Background

We define $\Omega_{GW} = \rho_{GW}/\rho$. During the dark inflaton domination this guy should grow, because the total energy density redshifts faster than radiation!



Gravitational Waves signal

For $N_{\text{eff}} \ll 1$ you can get a powerful signal from dark inflation!
This can happen, if $\xi \simeq 1/6$



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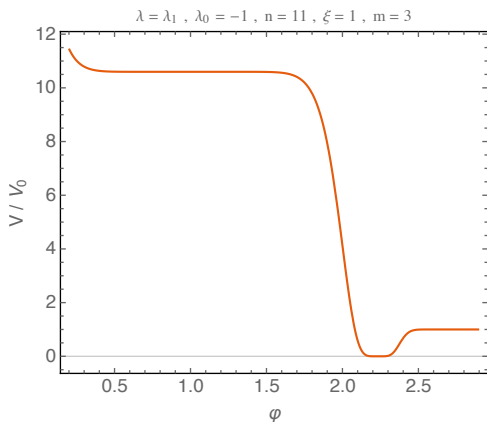
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- ▶ Possible applications: Dark energy, dark matter

A possible application - Dark energy



$$V = V_0(1 - \exp(-f(\varphi)))^2$$

where $f(\varphi)$ has a stationary point or comes from α -attractors.
There's a great paper of Dimopoulos and Owen on this kind of potential.

EW phase transition and gravitational waves production

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- ▶ During the first order phase transition bubbles of true vacuum collide creating gravitational waves. If the EWPT happens in much higher energy densities than in the regular reheating scenario then such a signal would be suppressed
 $\Rightarrow \Omega_{GW} \propto (H_r/H)^2 \ll 1$. **Lack of expected gravitational waves would provide additional motivation for dark inflation!**
Peak frequency changes like $f \propto (H/H_R) \gg 1$